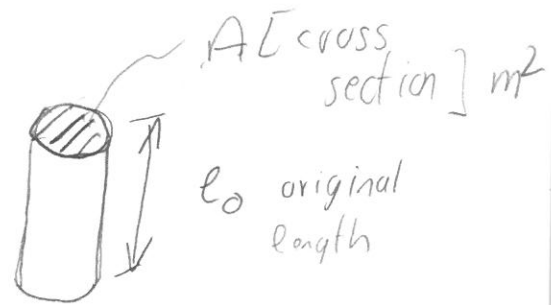
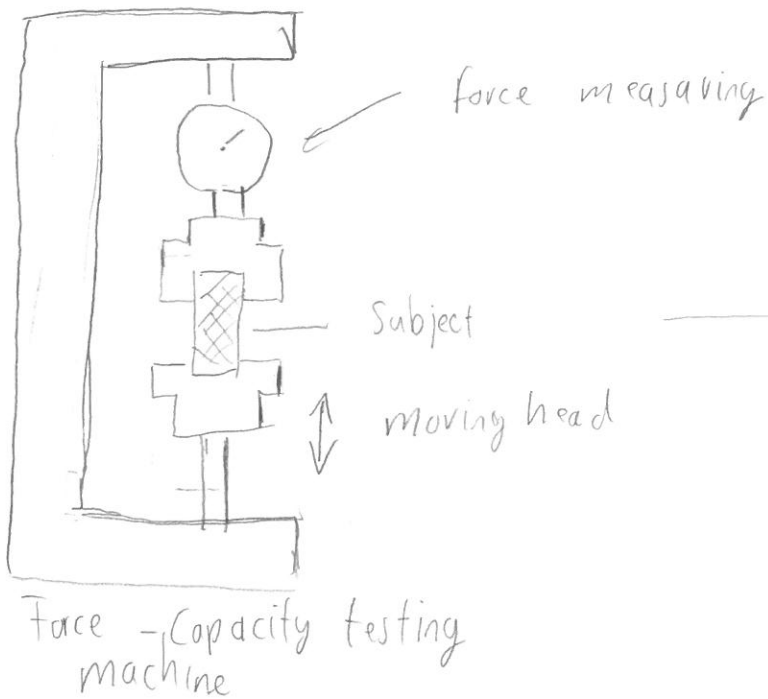


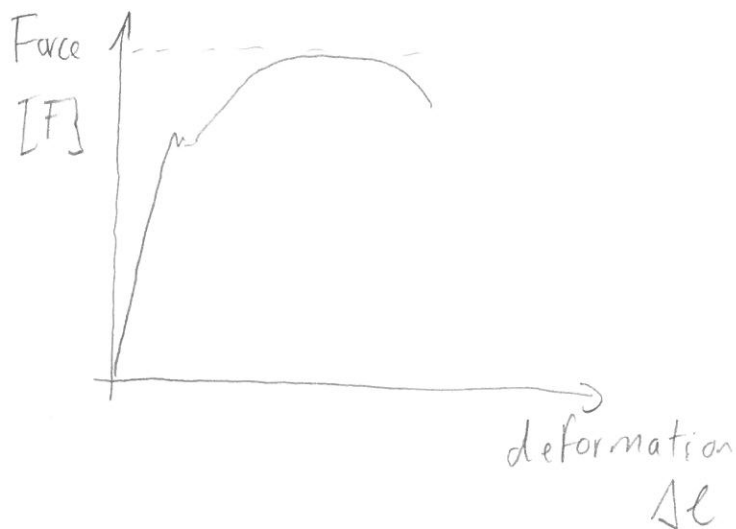
# Force Capacity testing



1. The investigated object is pressed/pulled.

2. The force  $[F]$  and the deformation is measured  $[\Delta l]$

3. Force deformation diagram can be plotted



## Stress - Strain calculation

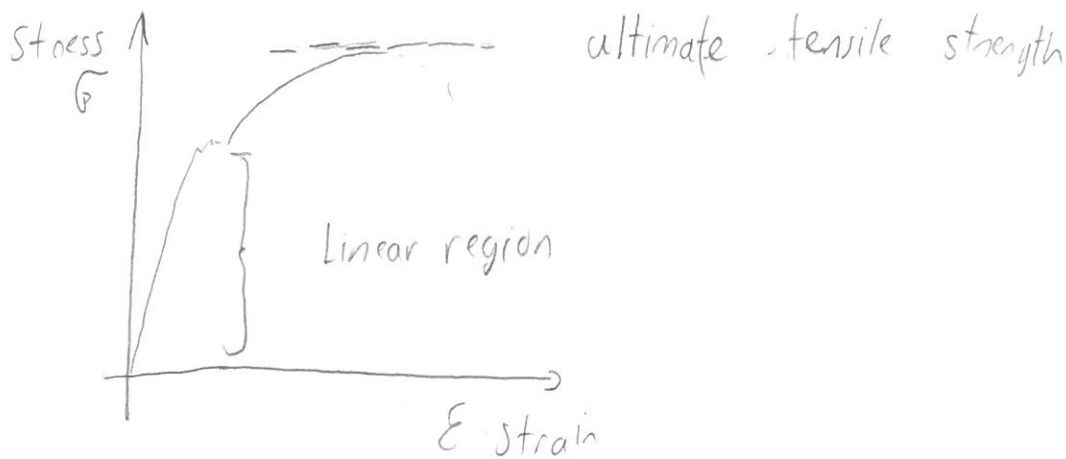
Stress (Force per unit)

$$\bar{\sigma} = \frac{F}{A} \quad \begin{array}{l} \text{(force)} \\ \text{(Area of cross section)} \end{array} \quad \begin{array}{l} \text{dimension: Pa} \\ \text{(Pascal)} \end{array}$$

Strain

$$\bar{\epsilon} = \frac{\Delta l \text{ (deformation)}}{l_0 \text{ (original length)}} \quad (-)$$

## Stress - Strain diagram



In linear region the connection between  $\bar{\sigma}$  and  $\bar{\epsilon}$  is linear. This phenomenon is described by the Hooke law:

#'

$$\bar{\sigma} = \bar{E} \cdot \bar{\epsilon}$$

↑ stress      ↑ Young's modulus      ← strain

Young's modulus measures the stiffness of the material.

Dimension: Pascal (Pa)

## Examples

1

The ultimate tensile stress of a bone is  $100 \cdot 10^6 \text{ Pa}$

$\sigma_{\text{max}} = 100 \cdot 10^6 \text{ Pa}$ , the cross section is  $700 \cdot 10^{-9} \text{ m}^2$

Calculate the maximum loading force

2, The measured deformation of a ligament is  $\Delta l = 0.01 \text{ m}$ .  
the applied force was  $F = 10000 \text{ N}$ . The cross section  
was  $A = 500 \cdot 10^{-9} \text{ m}^2$ . Calculate the Young's modulus

3, The Young's modulus is  $E = 100 \cdot 10^9 \text{ Pa}$ . The  
stress is  $\sigma = 100 \cdot 10^6 \text{ Pa}$ . The cross section is  
 $A = 600 \cdot 10^{-9} \text{ m}^2$ . Calculate the strain ( $\epsilon$ )